

## WARM UP!

What are the zeros of  $y = \frac{(x^2 - 2x - 3)}{(x^2 + 5x - 14)}$

A 3 and -1

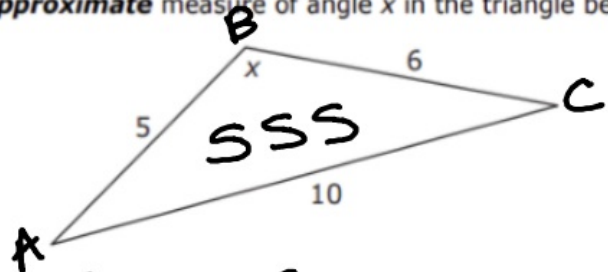
B 1 and -3

C 7 and -2

D 2 and -7

x intercept

What is the **approximate** measure of angle  $x$  in the triangle below?



A  $60.3^\circ$

B  $80.4^\circ$

C  $117.1^\circ$

D  $130.5^\circ$

$$b^2 = a^2 + c^2 - 2ac \cos B$$

$$10^2 = 6^2 + 5^2 - 2(6)(5) \cos B$$



The Unit Organizer

4 BIGGER PICTURE

NAME \_\_\_\_\_  
DATE \_\_\_\_\_



Precalc

<p>2 LAST UNIT Experience 4: Trigonometry</p>	<p>1 CURRENT UNIT 5: unit circle &amp; its graphs</p>	<p>3 NEXT UNIT Experience 6: Analytic Trig</p>
<p>8 UNIT SCHEDULE</p> <ol style="list-style-type: none"> <li>1 Basics of angles</li> <li>2 unit circle</li> <li>3 Graphs</li> </ol>	<p>5 UNIT MAP</p> <p>is about</p> <p>how graphs are made from the unit circle</p> <p>* graph in radians * calculate in degrees</p>	
<p>7 UNIT SELF-TEST QUESTIONS</p>	<p>1 Can I analyze + graph all trigonometric functions?</p>	
<p>6 UNIT RELATIONSHIP 3</p> <p>graph convert analyze</p>		

# Objective 5.1

I can... use degrees & radians to measure angles on the Unit Circle

## 5.1 I can use degrees & radians to measure angles on the Unit Circle

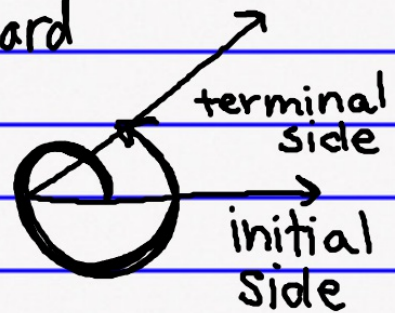
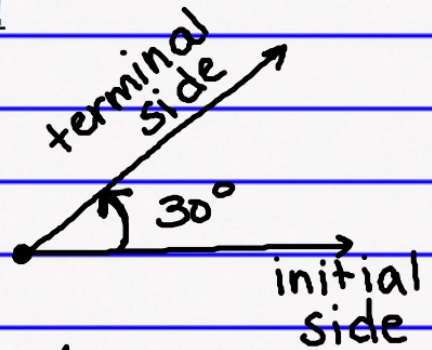
### Basics of Angles!

1. Angles: a measurement of the rotation of 2 rays around a central point.

2. positive angles: opens upward

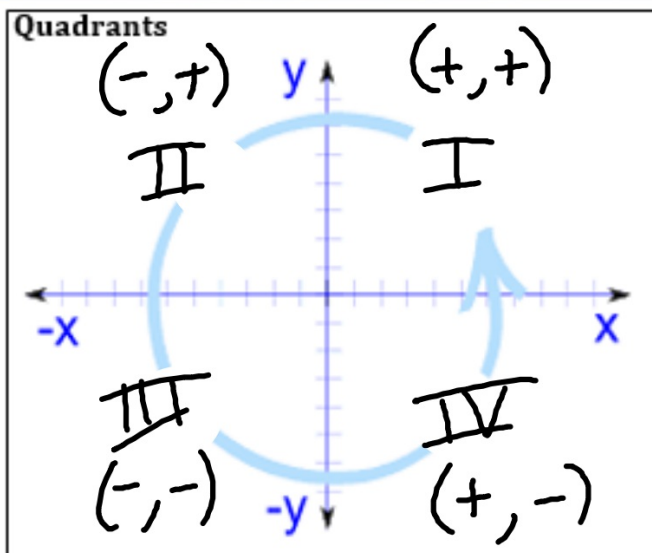
3. negative angles: opens downward

4. standard position: when the angle starts on +x axis.

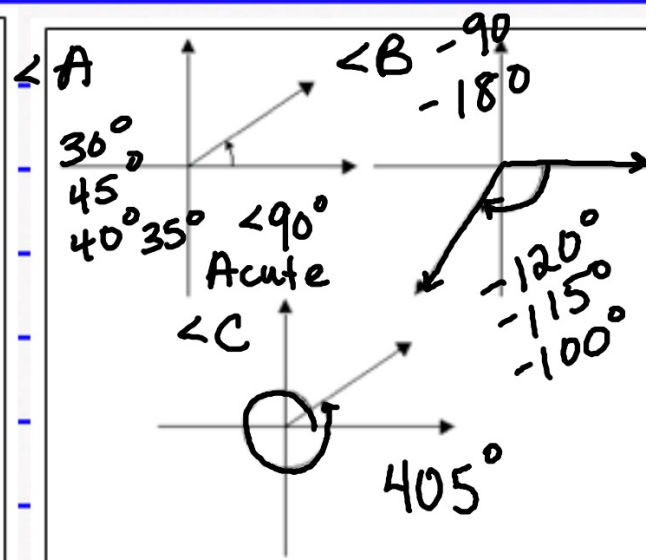


$$360^\circ = 1 \text{ circle}$$

# Quadrants



Estimate these angles!



$$\begin{array}{r} 360^\circ \\ + 45^\circ \\ \hline 405^\circ \end{array}$$

## Radians & Degrees

5. A **degree** measures how large an angle is.

6. A **radian** is a type of measurement that uses the arc of a circle

**math** > fraction

7. The **Unit Circle** is a circle that has a **radius** of 1 unit.

## Converting Rules

Degrees -> Rads

$$\frac{50^\circ}{1} \times \frac{\pi}{180} = \frac{50\pi}{180}$$

$$= \frac{5\pi}{18}$$

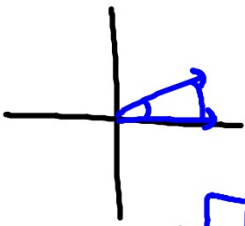
multiply by  $\frac{\pi}{180}$

Rads -> Degrees

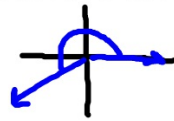
$$\frac{2\pi}{3} \times \frac{180}{\pi} = \frac{360}{3} = 120^\circ$$

multiply by  $\frac{180}{\pi}$

## Practice Converting!



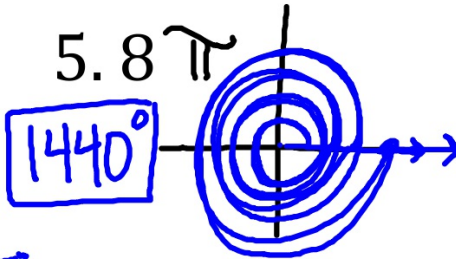
1.  $30^\circ = \frac{1\pi}{6}$  or  $\frac{\pi}{6}$



4.  $\frac{7\pi}{6} = 210^\circ$

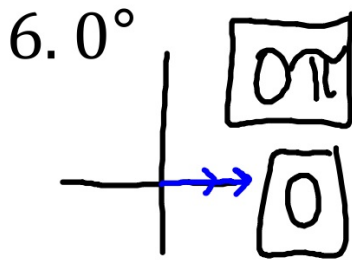
7.  $3\pi = 540^\circ$

2.  $90^\circ = \frac{\pi}{2}$

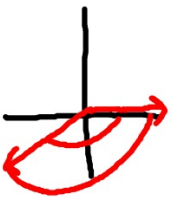


8.  $720^\circ = 4\pi$

3.  $-135^\circ \cdot \frac{\pi}{180} = -\frac{3\pi}{4}$



9.  $-3\pi = -540^\circ$





$\sin\theta$  - "sine"  $\longleftrightarrow$   $\csc\theta$  - "cosecant"

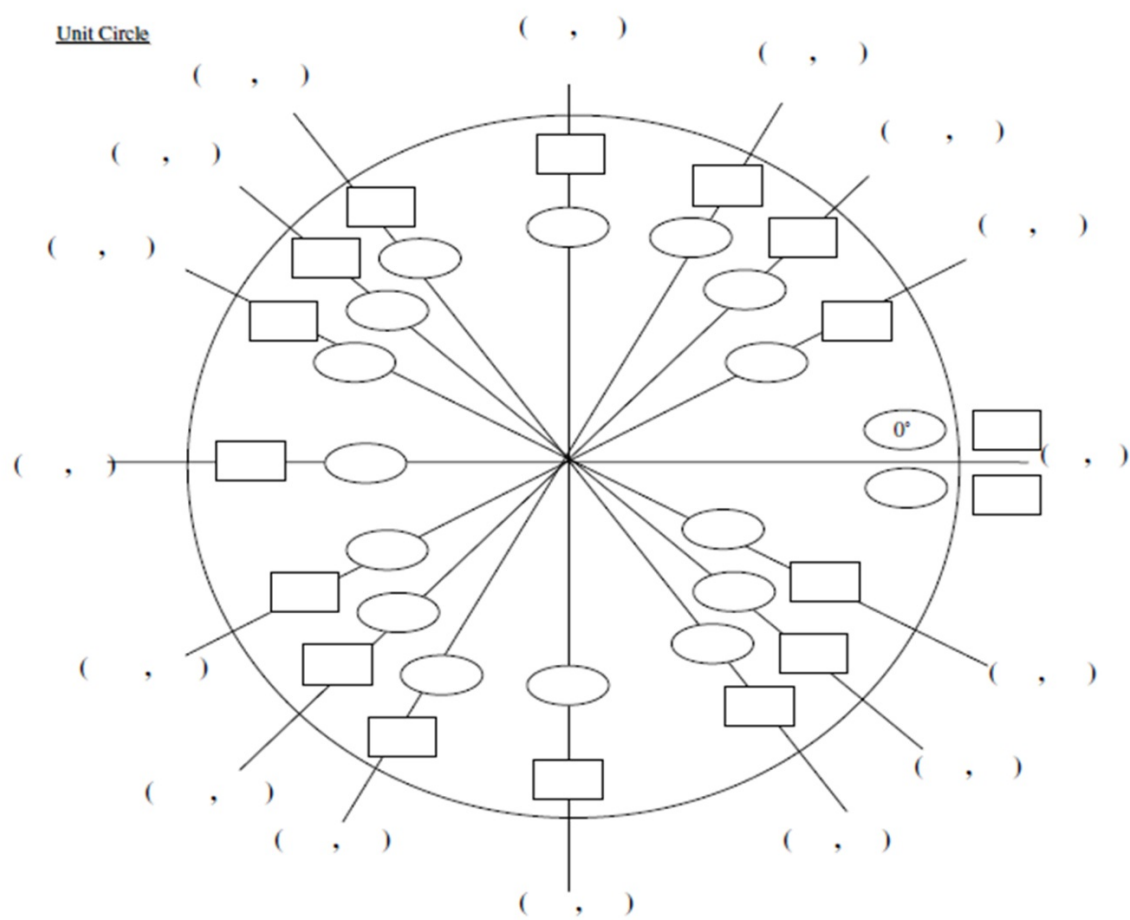
$\cos\theta$  - "cosine"  $\longleftrightarrow$   $\sec\theta$  - "secant"

$\tan\theta$  - "tangent"  $\longleftrightarrow$   $\cot\theta$  - "cotangent"

# QUIZZIZ!

Take some time to review  
information about unit 4.

Unit Circle



Key

$(x, y)$

↓  
 $\cos\theta, \sin\theta$



↓  
Degrees



↓  
Radians

## **Exit Problem**

Explain the difference between a radian and a degree.